Classical Test Item Analysis

Classical item analysis is used to estimate the reliability of test scores obtained from measures of subjects on some attribute such as achievement, aptitude or intelligence. In classical test theory, the obtained score for an individual on items is theorized to consist of a "true score" component and an "error score" component. Errors are typically assumed to be normally distributed with a mean of zero over all the subjects measured.

Several methods are available to estimate the reliability of the measures and vary according to the assumptions made about the scores. The Kuder-Richardson estimates are based on the product-moment correlation (or covariance) among items of the observed test scores and those of a theoretical "parallel" test form. The Cronbach and Hoyt estimates utilize a treatment by subjects analysis of variance design which yields identical results to the KR#20 method when item scores are dichotomous (0 and 1) values.

When you select the Classical Item Analysis procedure you will use the following dialogue box to specify how your test is to be analyzed. If the test consists of multiple sub-tests, you may define a scale for each sub-test by specifying those items belonging to each sub-test. The procedure will need to know how to determine the correct and incorrect responses. If your data are already 0 and 1 scores, the most simple method is to simply include, as the first record in your file, a case with 1's for each item. If your data consists of values ranging, say, between 1 and 5 corresponding to alternative choices, you will either include a first case with the correct choice values or indicate you wish to Prompt for Correct Responses (as numbers when values are numbers.) If items are to be assigned different weights, you can assign those weights by selecting the "Assign Item Weights scoring option. The scored item matrix will be printed if you elect it on the output options. Three different reliability methods are available. You can select them all if you like.

🍯 Test Scoring					
Available Variables:	Selected Items: VAR1 VAR2 VAR3 VAR4 VAR5 VAR5 VAR5 VAR6 VAR7 VAR8 Last Name:	Item Scoring: Item Number: Down Up Note: 1 to 5 responses permitted Item Response Number: 1 Response: 1 Score (weight): 1 Down Up Ubtain 1 otal Score By:			
Options:	ID Number:	No. Correct - 1 / 4 wrong Sum of Weighted Responses			
 First data record is the key. Replace grid items with scores. Add test score to grid. List test scores. Cronbach Alpha Reliability Stepwise KR#20 	 Simultaneous Multiple Reg Intercorrelations Matrix Plot Total Score Distributio Means, Variances, Std. De Hoyt's Intraclass Reliabilitie Plot Item Neans 	ression n Reset Cancel av.s as Compute Return			

Figure 1 Classical Item Analysis Dialog

Shown below is a sample output obtained from the Classical Item Analysis procedure followed by an item characteristic curve plot for one of the items.

Alpha Reliability Estimate for Test = 0.8767 S.E. of Measurement = 0.891Means with 17 valid cases.

Variables	VAR1	VAR2	VAR3	VAR4	VAR5	
	0.941	0.824	0.706	0.588	0.471	
Variables	VAR6	VAR7	VAR8	TOTAL		
	0.353	0.235	0.118	4.235		
Variances with	17 valid cas	es.				
Variables	VAR1	VAR2	VAR3	VAR4	VAR5	
	0.059	0.154	0.221	0.257	0.265	
Variables	VAR6	VAR7	VAR8	TOTAL		
	0.243	0.191	0.110	6.441		
Standard Deviat	ions with 17	valid cases.				
Variables	1 0 1	17100	COAV	1 0 0	VADE	
Variables	VARI	VARZ	VARJ	VAR4	VARJ	
	0.243	0.393	0.470	0.507	0.514	
Variables	VAR6	VAR7	VAR8	TOTAL		
	0.493	0.437	0.332	2.538		
Analysis of Var	iance for Hoyt	Reliabilitie	es			
SOURCE DE	22	MS	л.	PROB		
Subjects 16	12.88	0.81	8.11	0.00		
Within 119	21.00	0.18				
Items 7	9.88	1.41	14.22	0.00		
Error 112	11.12	0.10				
Total 135	33.88					
Hovt Unadiusted	Test Rel. for	scale TOTAL	= 0.7808	S.E. of Measu	irement =	1.188
Hoyt Adjusted T	est Rel. for s	cale TOTAL	= 0.8767	S.E. of Measu	irement =	0.891
Hoyt Unadjusted	Item Rel. for	scale TOTAL	= 0.3081	S.E. of Measu	irement =	2.111
Hoyt Adjusted 1	tem Rel. for s	cale TOTAL	= 0.4/06	S.E. OI Measu	irement =	1.84/
KR#20 = 0.8819 Item Mean V	for the test w ariance Pt.B	ith mean = 1 is.r	.059 and v	ariance = 0.9	934	
4 0.588	0.257 0.94	49				
5 0.471	0.265 0.94	65				
KR#20 = 0.8906	for the test w	ith mean = 1	.412 and v	ariance = 1.8	382	
4 0.588	0.257 0.88	18.r 74				
5 0.471	0.265 0.94	79				
6 0.353	0.243 0.88	13				
KR#20 = 0.8933	for the test w	ith mean = 2	2.118 and v	ariance = 2.9	985	
Item Mean V	ariance Pt.B	15.r //				
5 0.471	0.265 0.91	81				
6 0.353	0.243 0.82	94				
3 0.706	0.221 0.81	55				
KR#20 = 0.8929	for the test w	ith mean = 2	2.353 and v	ariance = 4.1	L18	
Item Mean V	ariance Pt.B	is.r				
4 0.588	0.257 0.87	86				
5 U.471 6 0.353	0.265 0.90 0.243 0.86	80 80				
0.000	0.213 0.00	00				

3	0.706	0.221	0.7715							
7	0.235	0.191	0.7459							
KR#20	= 0.8902	2 for the	test with	mean	=	3.176	and	variance	=	5.154
Item	Mean	Variance	Pt.Bis.	<u>_</u>						
4	0.588	0.257	0.8810							
5	0.471	0.265	0.8876							
6	0.353	0.243	0.8350							
3	0.706	0.221	0.8137							
7	0.235	0.191	0.7111							
2	0.824	0.154	0.6676							
KR#20	= 0.8851	l for the	test with	mean	=	3.294	and	variance	=	5.971
Item	Mean	Variance	Pt.Bis.	ſ						
4	0.588	0.257	0.8601							
5	0.471	0.265	0.8773							
6	0.353	0.243	0.8430							
3	0.706	0.221	0.7881							
7	0.235	0.191	0.7502							
2	0.824	0.154	0.6433							
8	0.118	0.110	0.5708							
KR#20	= 0.876	7 for the	test with	mean	=	4.235	and	variance	=	6.441
Item	Mean	Variance	Pt.Bis.	<u>_</u>						
4	0.588	0.257	0.8567							
5	0.471	0.265	0.8672							
6	0.353	0.243	0.8293							
3	0.706	0.221	0.7958							
7	0.235	0.191	0.7355							
2	0.824	0.154	0.6709							
8	0.118	0.110	0.5583							
1	0.941	0.059	0.4300							



Figure 2 Distribution of Test Scores (Classical Analysis)

